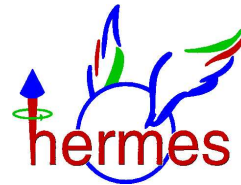


Exclusive meson production at HERMES

Pan-Pacific Symposium on High Energy Spin Physics, 2007.

Jeroen Dreschler

on behalf of the HERMES collaboration

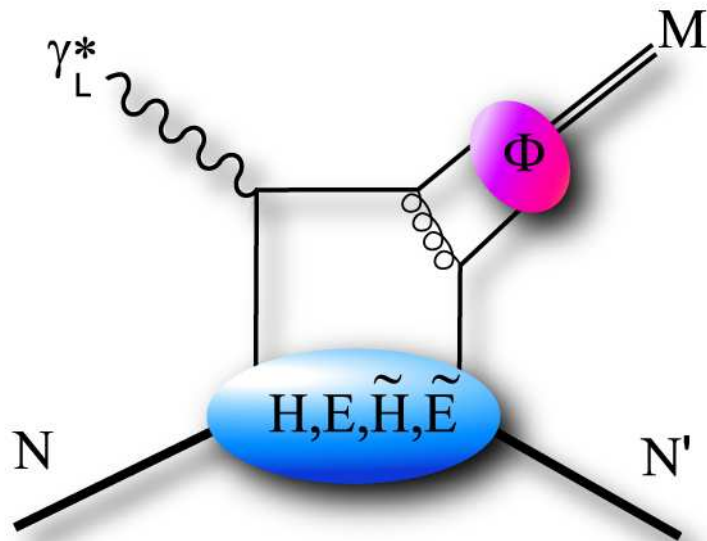


- Cross section of exclusive π^+ production
- Spin Density Matrix Elements (SDMEs) for exclusive ρ^0 and ϕ production
- Transverse target spin asymmetry in excl. ρ^0 production, ρ_L - ρ_T separated

GPDs & Exclusive Meson Production

Factorization of Amplitudes

Proven for Mesons in case of
Longitudinal γ^* Polarization
(Collins, Frankfurt, Strikman:
Phys. Rev. D 56 (1997) 2982)



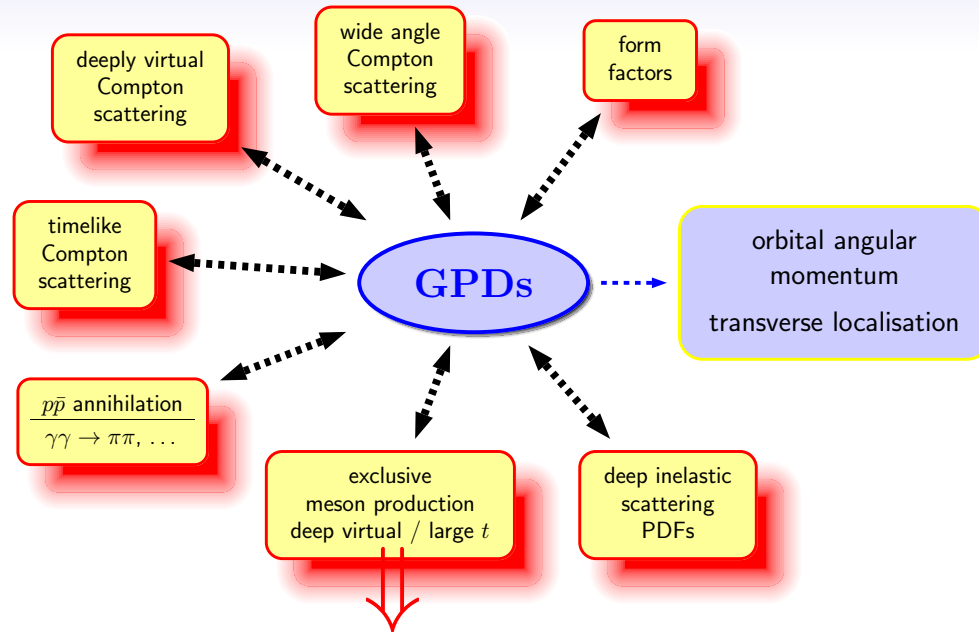
At leading twist:

- Only transitions allowed with both meson and γ^* longitudinally polarized
- Amplitudes can be expressed in terms of GPDs $H, E, \tilde{H}, \tilde{E}$

\Rightarrow Final state determines
sensitivity to different GPDs

$$\left\{ \begin{array}{l} H, E : \text{vector mesons } (\rho, \phi, \omega) \\ \tilde{H}, \tilde{E} : \text{pseudoscalar mesons } (\pi, \eta) \end{array} \right.$$

Access to GPDs

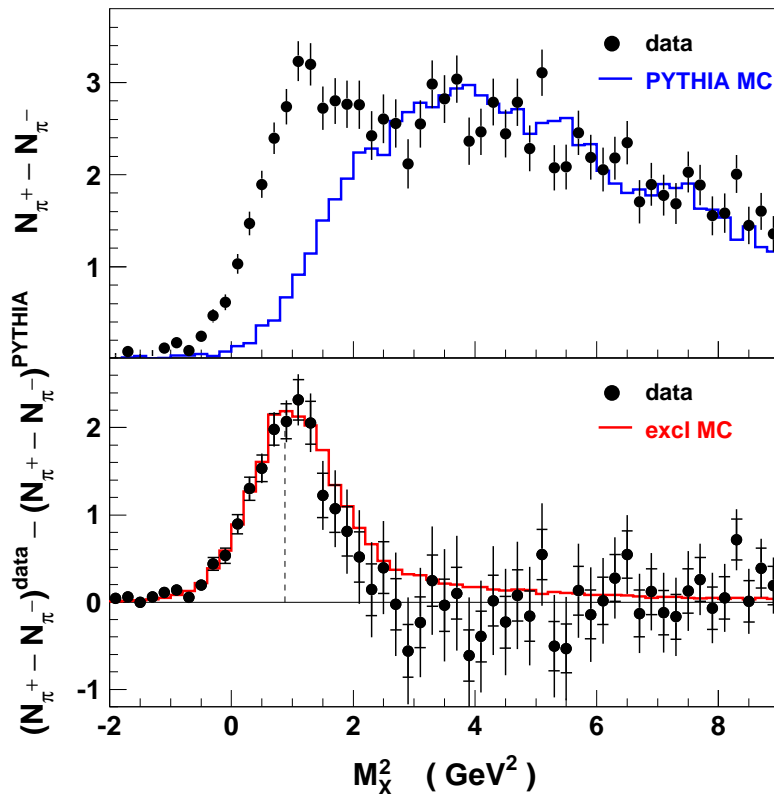


- GPD \tilde{E} : t -channel pion-pole contribution
- GPDs H, E : Ji sum rule

$$\frac{1}{2} \int_{-1}^1 dx x [H(x, \zeta, t) + E(x, \zeta, t)] \stackrel{t \rightarrow 0}{=} J_q = \frac{1}{2} \Delta \Sigma + \Delta L_q$$

● ...

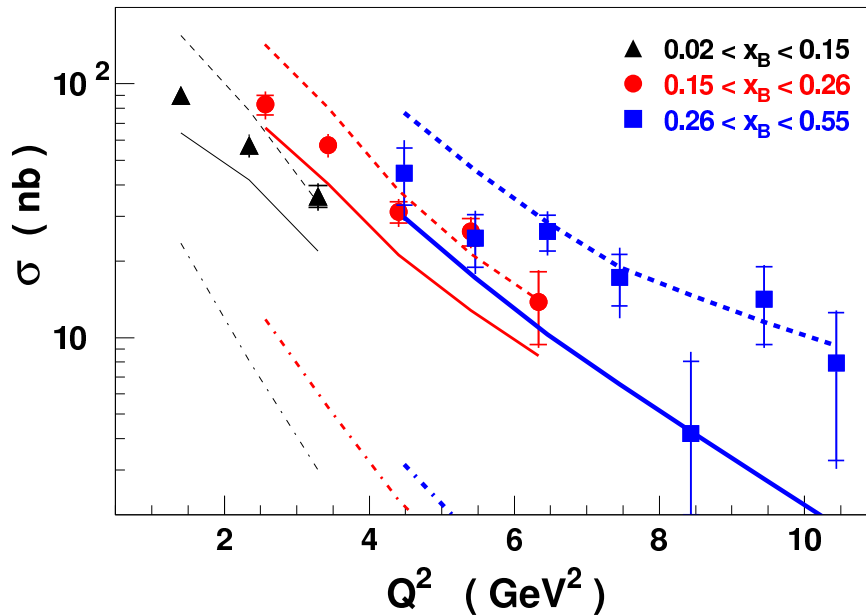
Exclusive π^+ Production



$\gamma^* p \rightarrow \pi^+ n$ Event selection

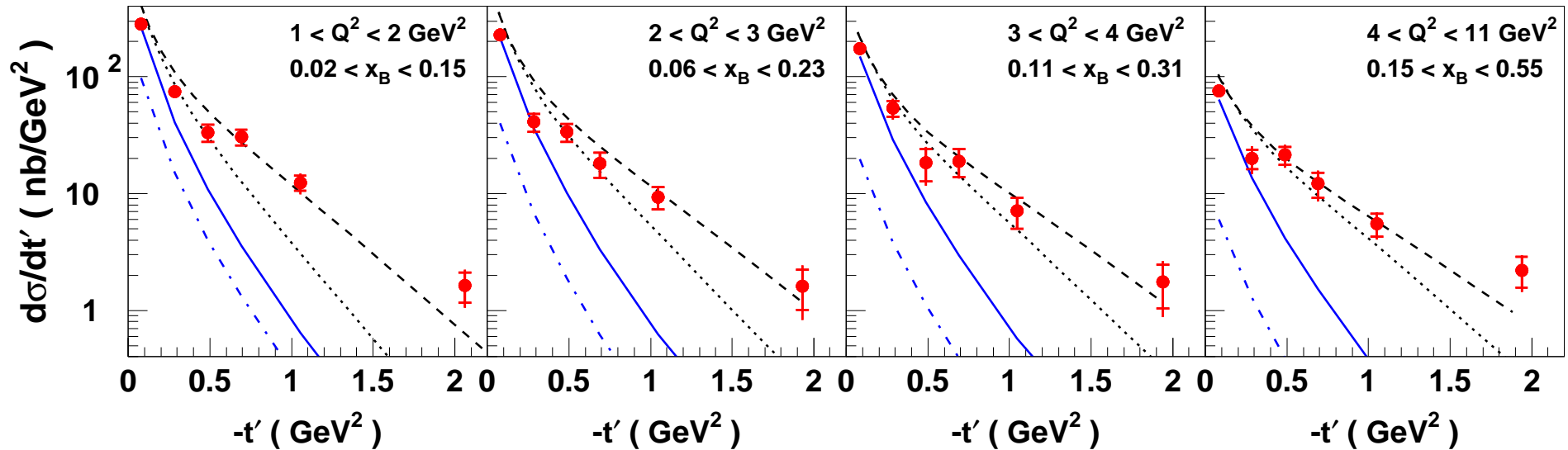
- Determine missing mass
 $M_X^2 = (P_{\gamma^*} + P_p - P_{\pi^+})^2$ for
 $\gamma^* p \rightarrow \pi^+ X$
- Non-exclusive background
 estimated with PYTHIA
- After background subtraction:
 M_X centered around M_n

Measured Cross Section $\gamma^* p \rightarrow \pi^+ n$ vs Q^2



- $\sigma_{tot} = \sigma_T + \epsilon\sigma_L$
- Regge model: dominance of σ_L over σ_T (Laget: PRD 70 (2004) 054023)
- Shape Q^2 dependence agrees with GPD model calculations (Vanderhaegen, Guichon, Guidal: PRD 60 (1999) 094017)

Measured Cross Section $\gamma^* p \rightarrow \pi^+ n$ vs $-t'$



--- $\frac{d\sigma_L}{dt'}$: VGG, LO

— $\frac{d\sigma_L}{dt'}$: VGG, LO + power corr.

----- $\frac{d\sigma}{dt}$: Regge model

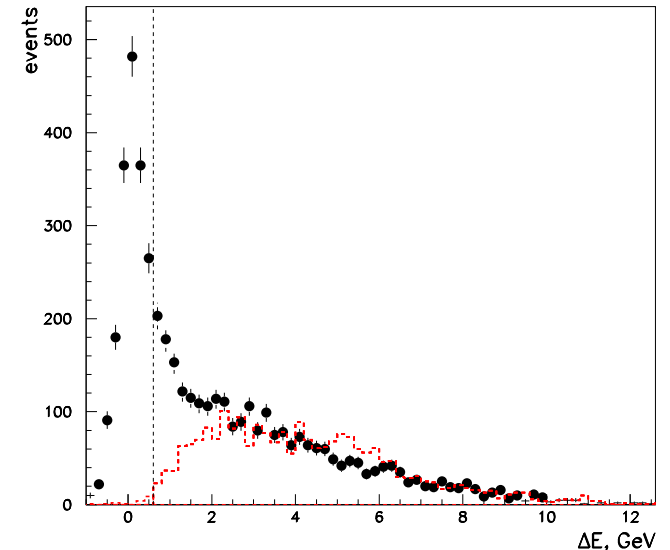
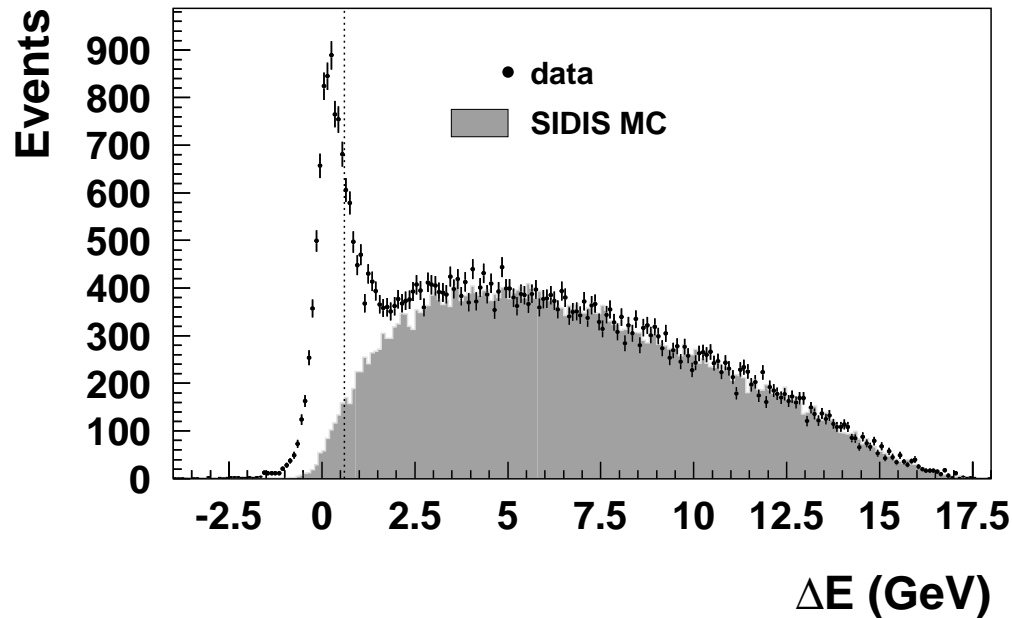
..... $\frac{d\sigma_L}{dt}$: Regge model

- Power corrected GPD calculations in fair agreement with data at low values of $-t'$ (note: GPD model requires $-t' \ll Q^2$)
- Order of magnitude of power corrections is supported by data

Exclusive ρ^0 and ϕ production

$$\gamma^* p \rightarrow \rho^0 X$$

$$\gamma^* p \rightarrow \phi X$$



Exclusive ρ^0 and ϕ meson selection

- $\Delta E = \frac{M_X^2 - M_p^2}{2M_p}$ peaked around zero for exclusive production
- Non-exclusive contributions estimated by using Monte Carlo

SDMEs for Exclusive ρ^0 and ϕ Production

- Spin Density Matrix Elements (SDMEs)
(Schilling, Wolf: Nucl. Phys. B 61, 381)

- $\gamma^* \rightarrow VM$ helicity transfer:
 s -channel helicity conservation (SCHC)?
- parity exchange

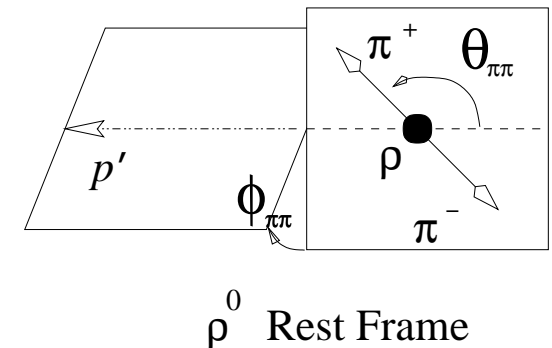
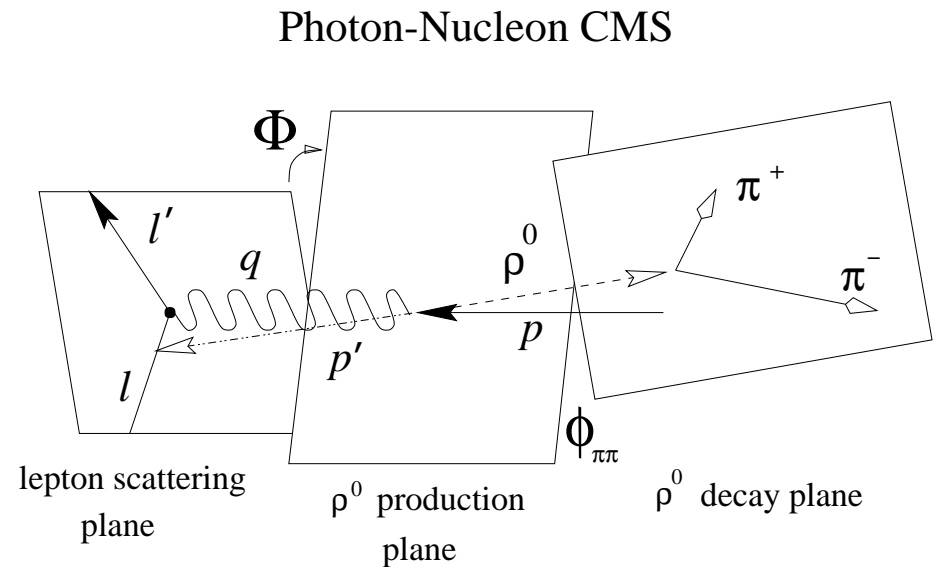
- SDMEs extracted by measuring the angular distribution of decay products:

$$\rho^0 \rightarrow \pi^+ \pi^-$$

$$\phi \rightarrow K^+ K^-$$

- Exclusive ρ^0 vs ϕ production

- ρ^0 : both quark exchange and gluon exchange mechanisms contribute
- ϕ : gluon exchange mechanism dominates

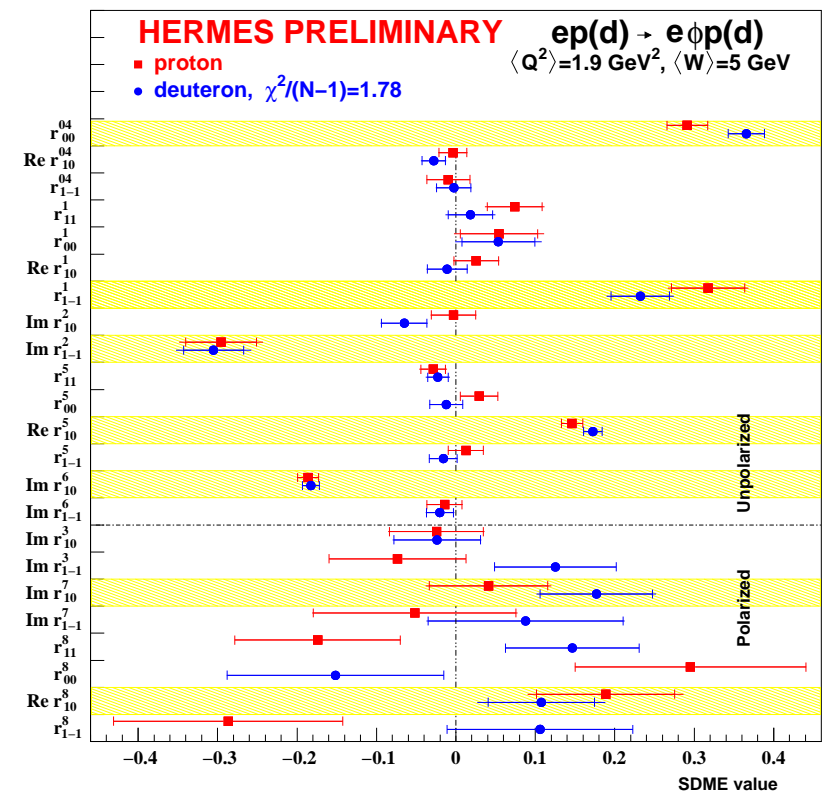
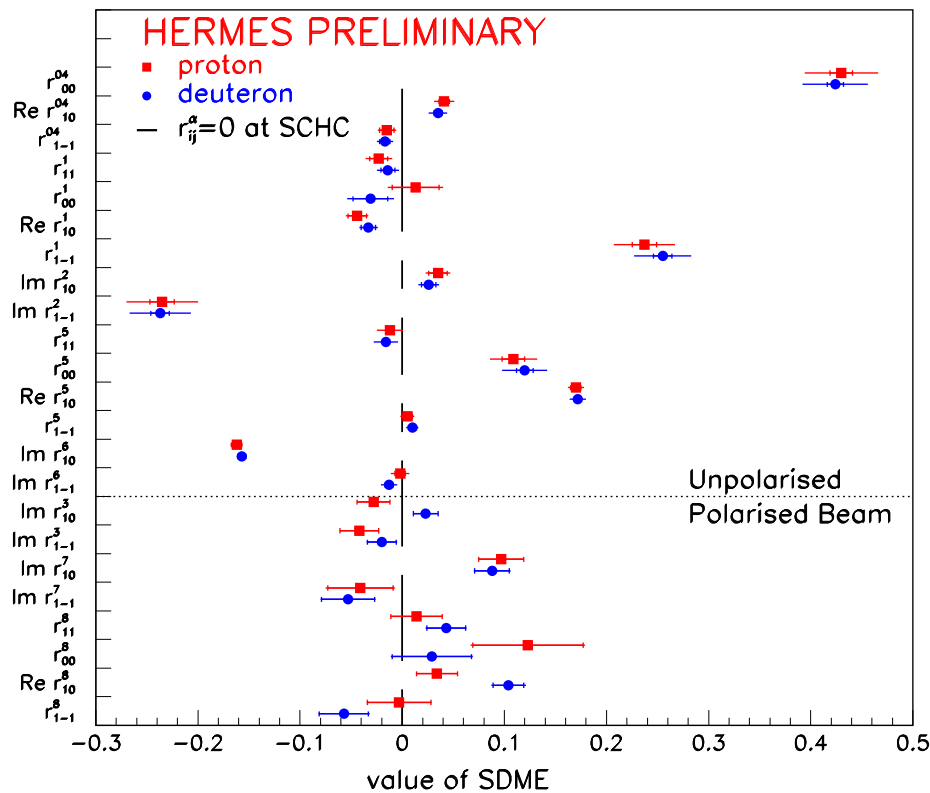


Measured SDMEs

● In case of SCHC: only 7 non-zero SDMEs

$$\gamma^* p(d) \rightarrow \rho^0 p(d)$$

$$\gamma^* p(d) \rightarrow \phi p(d)$$



● Violations of SCHC observed

● Results consistent with SCHC

$\gamma^* \rightarrow$ **VM Helicity Transfer**

Hierarchy of Amplitudes

- ρ^0 meson: $|T_{00}| \sim |T_{11}| \gg |T_{01}| > |T_{10}| \gtrsim |T_{1,-1}|$
- ϕ meson SDMEs consistent with SCHC ($|T_{00}| \sim |T_{11}|$)

Assuming SCHC

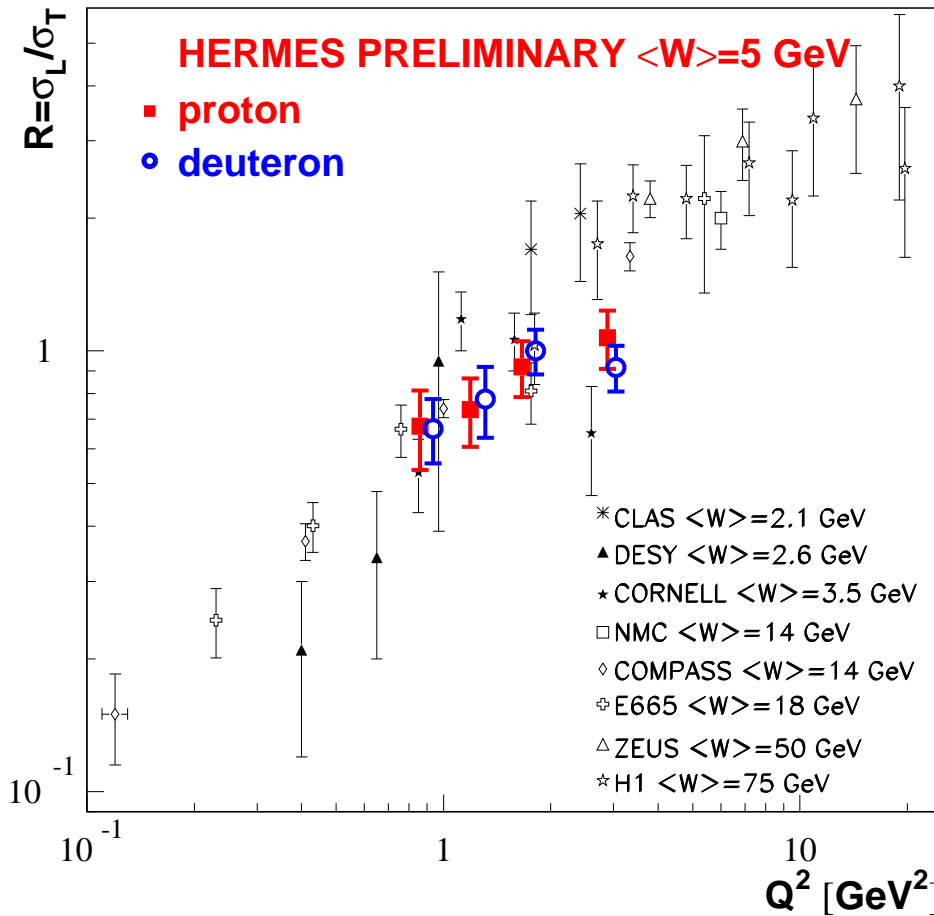
- $V_L - V_T$ separation is equivalent to $\gamma_L^* - \gamma_T^*$ separation
- $R = \frac{\sigma_L}{\sigma_T} = \frac{1}{\epsilon} \frac{r_{00}^{04}}{1 - r_{00}^{04}},$

Here

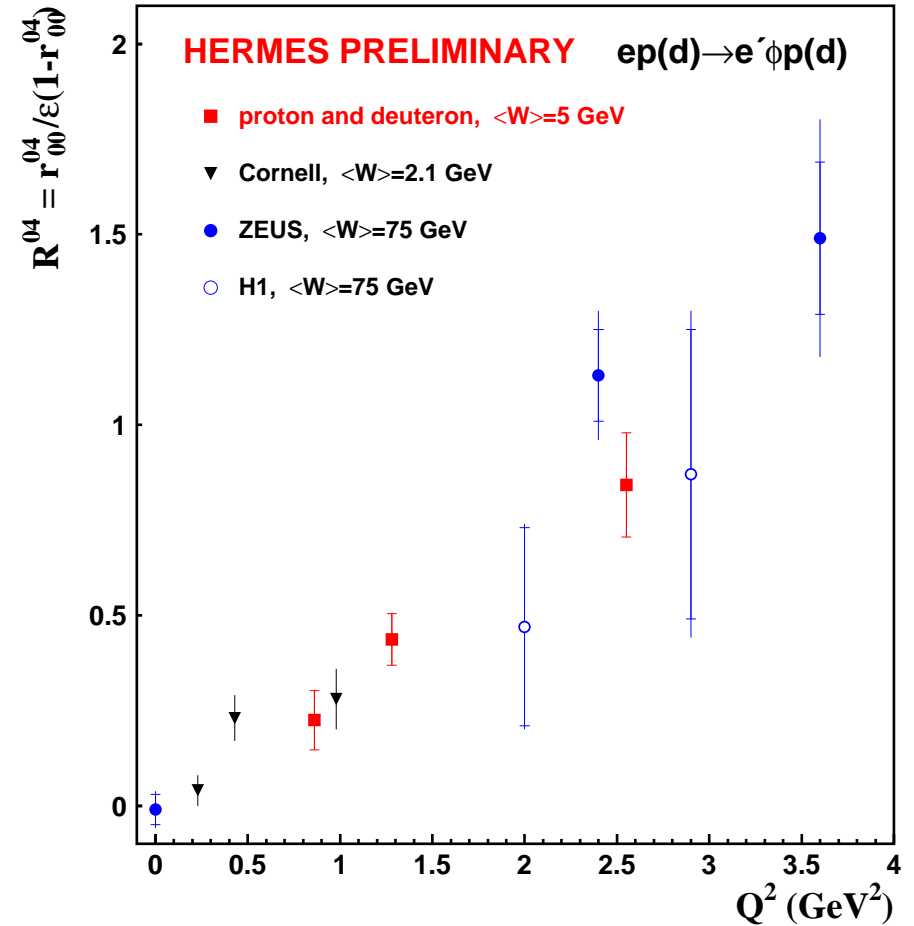
- r_{00}^{04} represents the longitudinal VM polarization
- $\sigma_{\gamma^* p \rightarrow V p} = \sigma_T + \epsilon \sigma_L$

Results for $R = \sigma_L/\sigma_T$

$$\gamma^* p(d) \rightarrow \rho^0 p(d)$$



$$\gamma^* p(d) \rightarrow \phi p(d)$$



● R determined under the assumption of SCHC

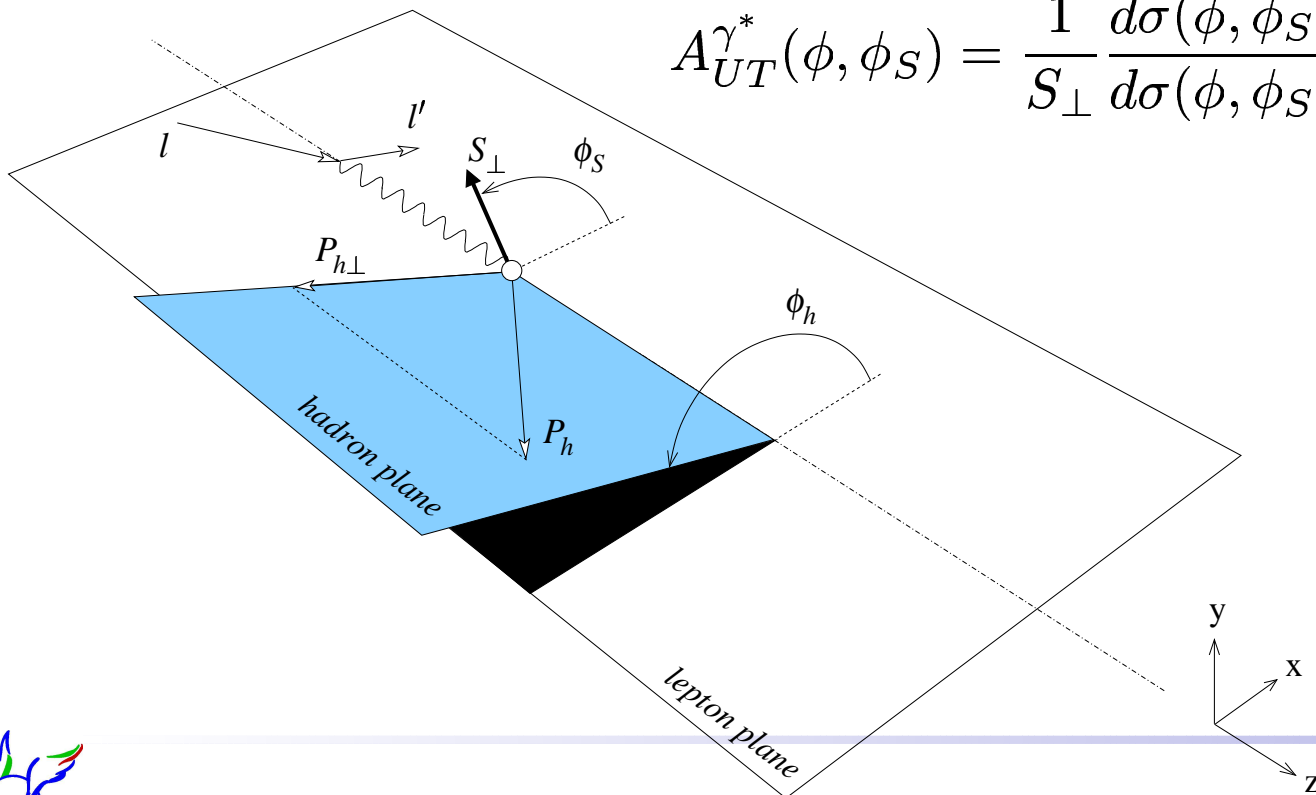
Transverse Target Spin Asymmetry

- Angular distribution for polarized target (unpol. beam)

$$W(\phi, \phi_S, \mathbf{S}) = W_{UU}(\phi) + S_{\parallel} W_{UL}(\phi) + S_{\perp} W_{UT}(\phi, \phi_S)$$

- Sensitivity to S_{\perp} dependence: Transverse Target Spin Asymmetry
(Trento Convention: *Phys. Rev. D*70 (2004) 117504)

$$A_{UT}^{\gamma*}(\phi, \phi_S) = \frac{1}{S_{\perp}} \frac{d\sigma(\phi, \phi_S) - d\sigma(\phi, \phi_S + \pi)}{d\sigma(\phi, \phi_S) + d\sigma(\phi, \phi_S + \pi)}$$



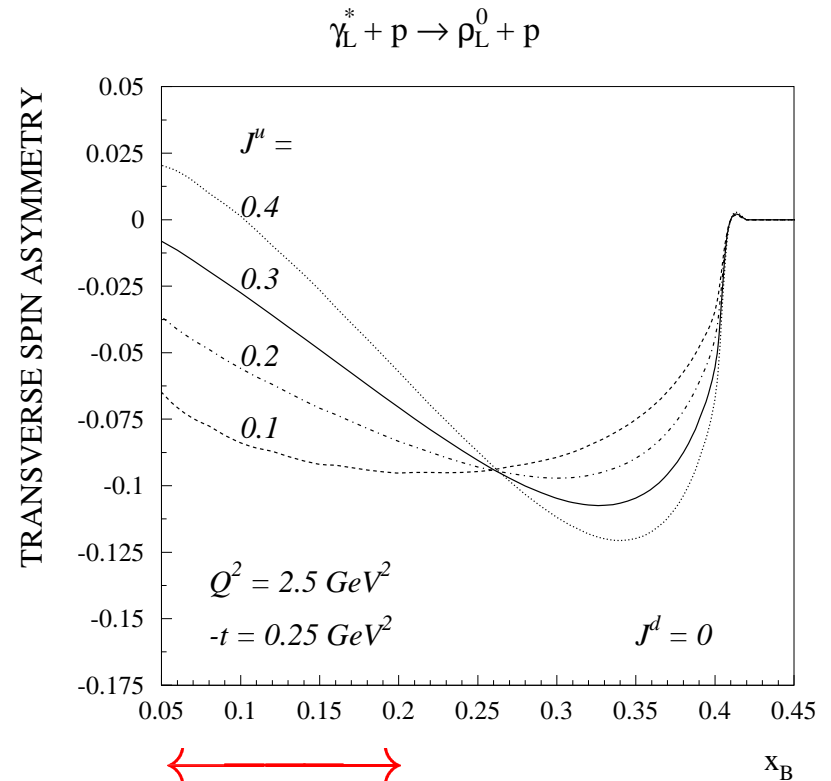
GPD Calculations for $A_{UT} (\gamma_L^* p \rightarrow \rho_L^0 p)$

At leading twist:

- Longitudinally polarized γ^* and ρ^0
- Sensitivity to E, H interference term

$$A_{UT} \sim \sin(\phi - \phi_s) \mathcal{I}_{EH}$$

- Dependence on $J^u \implies$ (quark GPDs)
- Calculations including gluon contribution available
(Ellinghaus et al.: *Eur. Phys. J. C* 46 (2006) 729-739.)



Goeke, Polyakov, Vanderhaeghen:
Prog. Part. Nucl. Phys. 47 (2001) 401

- $\mathcal{A}_{GPV} = -\frac{2}{\pi} A_{UT} \sin(\phi - \phi_s)$

$\rho_L - \rho_T$ Separation of A_{UT}

Using the ρ^0 decay angle $\theta_{\pi\pi}$:

$$\frac{d\sigma_{mn}^{ij}}{d(\cos\theta_{\pi\pi})} = \frac{3 \cos^2 \theta_{\pi\pi}}{2} \sigma_{mn}^{ij}(\gamma^* p \rightarrow \rho_L p) + \frac{3 \sin^2 \theta_{\pi\pi}}{4} \sigma_{mn}^{ij}(\gamma^* p \rightarrow \rho_T p)$$

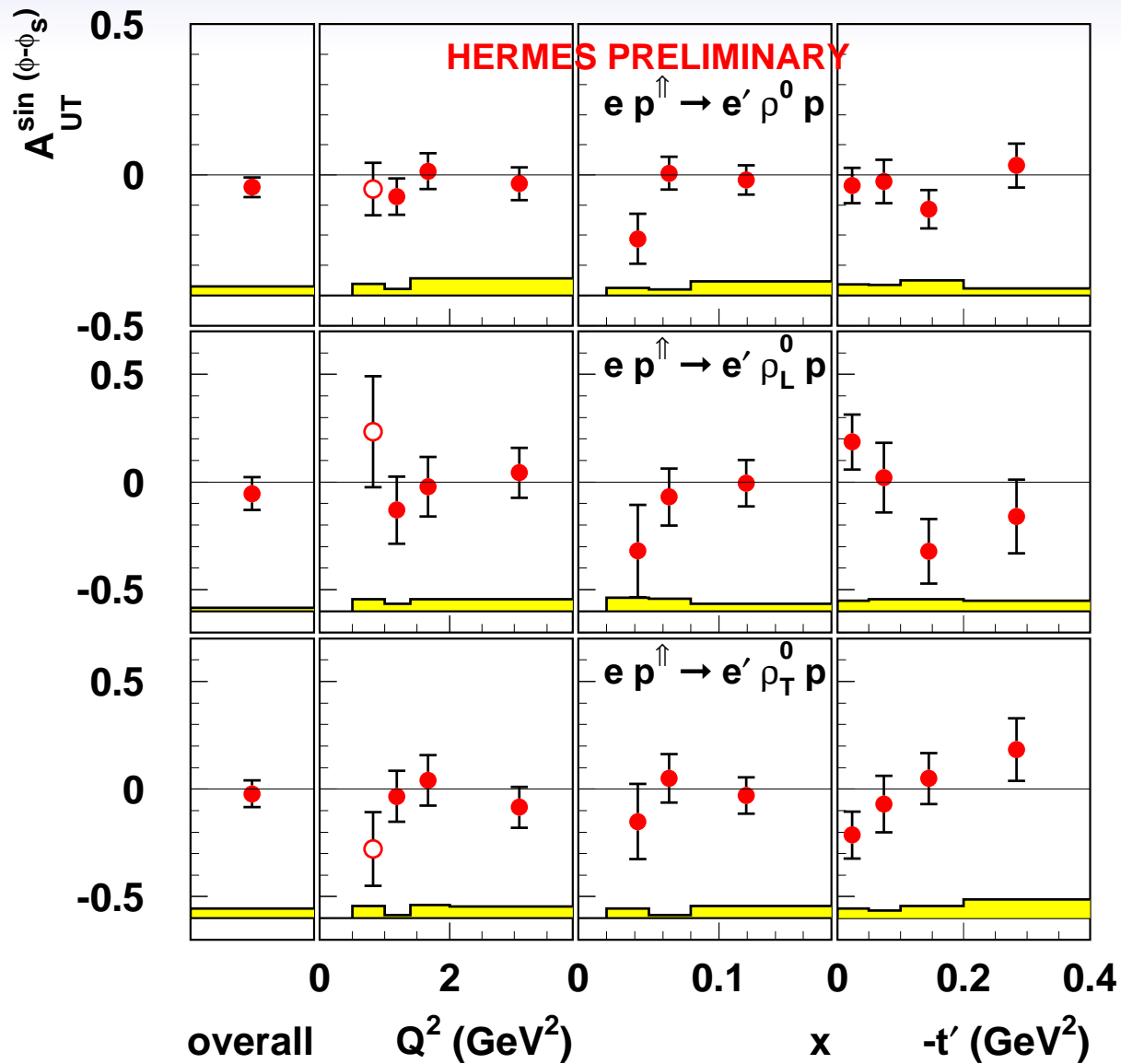
- Expressed in terms of $\gamma^* p$ cross sections / interference terms $\sigma_{mn}^{ij}(\gamma^* p \rightarrow \rho^0 p)$ (Diehl, Sapeta: hep-ph/0503023)
 - virtual photon helicity: $m, n = 0, \pm 1$
 - proton spin state: $i, j = \pm(\frac{1}{2})$
- To be used: SDMEs for a polarized target (Diehl: hep-ph arXiv:0704.1565)

Angular $(\theta_{\pi\pi}, \phi, \phi_s)$ distribution can be written as:

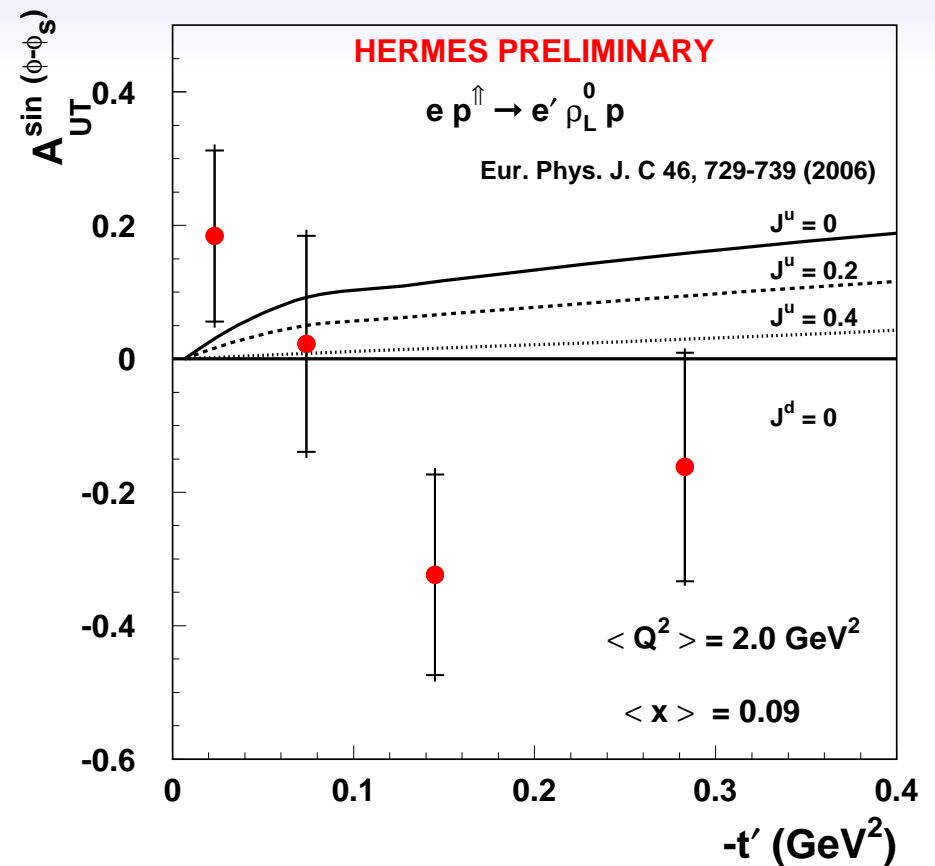
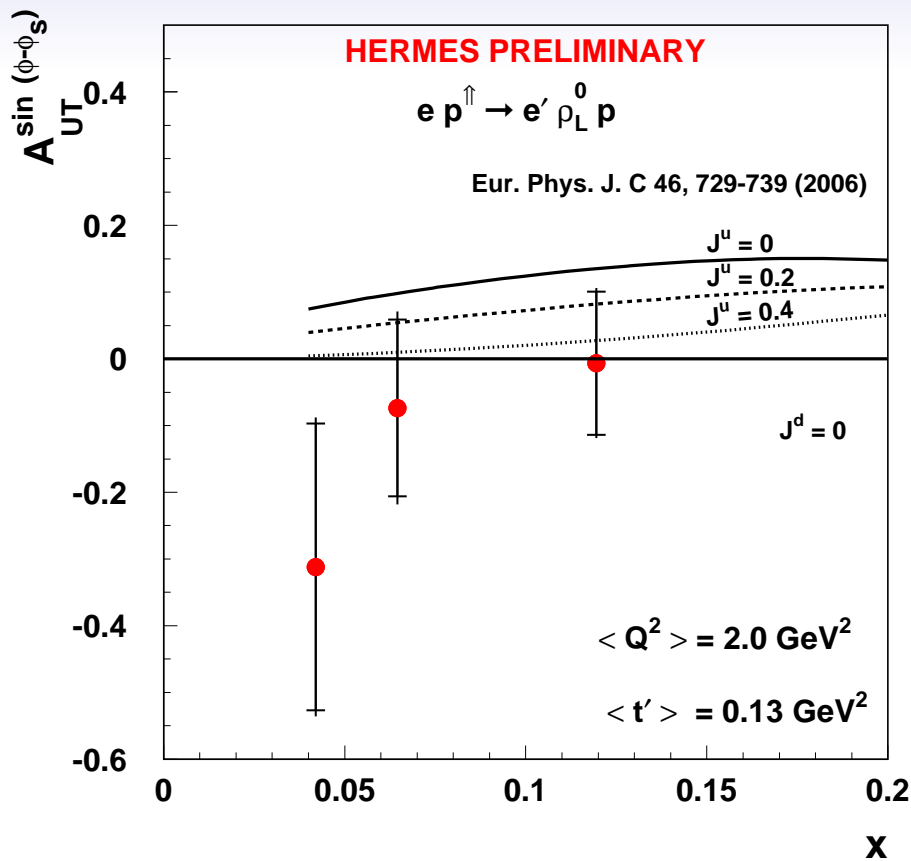
$$W(\theta_{\pi\pi}, \phi, \phi_s) \propto \left[\begin{aligned} & \cos^2 \theta_{\pi\pi} r_{00}^{04} \left(1 + A_{UU, \rho_L}(\phi) + P_{\perp} A_{UT, \rho_L}^l(\phi, \phi_s) \right) + \\ & \frac{1}{2} \sin^2 \theta_{\pi\pi} (1 - r_{00}^{04}) \left(1 + A_{UU, \rho_T}(\phi) + P_{\perp} A_{UT, \rho_T}^l(\phi, \phi_s) \right) \end{aligned} \right]$$

P_{\perp} defined w.r.t. beam direction: $P_{\perp} \approx S_{\perp}$, $|S_{\parallel}/P_{\perp}| \lesssim 0.15$, $\langle S_{\parallel} \rangle \approx 0$

Results $A_{UT}^{\sin(\phi-\phi_s)}$ Separately for ρ_L and ρ_T



Comparison with Theoretical Calculations



- Results favour positive value of J^u
- Model dependent determination of J^u requires more effort

Conclusions

- Cross section of exclusive π^+ production measured
 - Results in agreement with GPD based calculation at low values of $-t'$
 - Paper submitted to PLB (*arXiv: 0707.0222*)
- Unpolarized SDMEs measured for both exclusive ρ^0 and ϕ production
- A_{UT} in exclusive ρ^0 production extracted for the first time separately for ρ_L and ρ_T
 - Results allow model dependent estimate of the value of J^u
 - Analysis will be updated using the new SDME formalism for a transversely polarized target